In this new basis the $\mathbf{f}$ vector has the components $f_{1}^{\prime} f_{2}^{\prime} \ldots f_{n}^{\prime}$ found by the transformation

$$
\begin{equation*}
\left(f_{1}^{\prime} f_{2}^{\prime} \ldots f_{n}^{\prime}\right)=\left(f_{1} f_{2} \ldots f_{n}\right) \mathbf{M} \tag{8}
\end{equation*}
$$

Now it is obvious from the form (5) that with the help of this new basis $\mathbf{b}_{1} \mathbf{b}_{2} \ldots \mathbf{b}_{n}$, the inner product can be written:

$$
\begin{equation*}
\mathbf{f} \cdot \mathbf{v}=\mathbf{F}^{\prime} \mathbf{V}=\left(f_{1}^{\prime} \cdot v_{1}+f_{2}^{\prime} \cdot v_{2}+\ldots f_{n}^{\prime} \cdot v_{n}\right) \tag{9}
\end{equation*}
$$

or for the length or the norm of the vector:

$$
\begin{equation*}
(\mathbf{f} \cdot \mathbf{f})^{1 / 2}=\left(f_{1}^{\prime} \cdot f_{2}+f_{2}^{\prime} \cdot f_{2}+\ldots f_{n}^{\prime} \cdot f_{n}\right)^{1 / 2} \tag{10}
\end{equation*}
$$

To conclude, we state the fact that in any given vector space a reciprocal basis can be constructed with the help of the metric matrix. This reciprocal basis can be used to conserve the form (9) of an inner product. For a linear operator $\hat{P}$ it conserves the form of the matrix-element in the representation of this operator, namely:

$$
\begin{equation*}
P_{i j}=\mathbf{b}_{i} \cdot\left(\hat{P} \mathbf{a}_{j}\right) \tag{11}
\end{equation*}
$$

For the three-dimensional Euclidian space it can easily be verified that definition (7) is equivalent to definition (1). The difference is that definition (7) does not need the concept of a skew product of vectors, a concept which loses significance in spaces of more or fewer dimensions.

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Coherent neutron scattering amplitudes. By G. E. Bacon (for The Neutron Diffraction Commission), The University, Sheffield S10 2TN, England
(Received 28 May 1974; accepted 28 May 1974)
A list is given which summarizes additions and significant changes which have been reported since the publication of a full list of scattering amplitudes in 1972 [Acta Cryst. (1972). A28, 357-358].

In Table 1 are listed additions and significant changes which have been reported since the publication of a full list of scattering amplitudes by Bacon (1972).

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Table 1. Coherent scattering amplitudes

| Element for |  |  |  |
| :---: | :---: | :---: | :---: |
| $Z$ | Isotope | $b\left(10^{-12} \mathrm{~cm}\right)$ | Reference |
| 7 | ${ }^{15} \mathrm{~N}$ | $0 \cdot 65$ | Kuznietz \& Wedgwood (1972). |
| 12 | ${ }^{24} \mathrm{Mg}$ | 0.55 | Abul Khail, Amin, Al- |
|  | ${ }^{25} \mathrm{Mg}$ | $0 \cdot 36$ | Naimi, Al-Saji, Al-Shahery, Petrunin \& Zem- |
|  | ${ }^{26} \mathrm{Mg}$ | $0 \cdot 49$ | lyanov (1972). |
| 52 | Te | $0 \cdot 58$ | Lindqvist \& Lehmann (1973). |
| 60 | Nd | 0.75 | Schobinger-Papamentellos, Fischer, Vogt \& Kaldis (1973). |
| 62 | ${ }^{154} \mathrm{Sm}$ | 0.96 | Koehler \& Moon (1972). |
| 63 | Eu | $\begin{aligned} & 0.68 \text { at } \lambda=1.067 \\ & 0.61 \text { at } \lambda=0.75 \AA \end{aligned}$ | W. C. Koehler \& J. W. Cable (unpublished). |
| 64 | ${ }^{160} \mathrm{Gd}$ | 0.915 | Koehler, Moon, Cable \& Child (1972). |
| 91 | ${ }^{231} \mathrm{~Pa}$ | $1 \cdot 3 \pm 0 \cdot 2$ | Wedgwood \& Burlet (1974). |
| 95 | ${ }^{243} \mathrm{Am}$ | 0.76 |  |
| 96 | ${ }^{244} \mathrm{Cm}$ | $\sim 0.7$ \} | Reddy (1974). |

